# International Journal of Statistics and Applied Mathematics

ISSN: 2456-1452 Maths 2023; 8(5): 194-203 © 2023 Stats & Maths <u>https://www.mathsjournal.com</u> Received: 10-08-2023 Accepted: 16-09-2023

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### Time series analysis of castor crop for price forecasting in Gujarat: A comprehensive study

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#### DOI: https://doi.org/10.22271/maths.2023.v8.i5c.1339

#### Abstract

The overall objective of the present paper is demonstrating the utility of price forecasting of farm prices and validating the same for castor crops in Gujarat state for the year 2022 using the time series data from 2007 to 2021. While for price data of castor was collected from AGMARKNET (www.agmarknet.gov.in). Looking to the seasonal indices, the lowest and highest seasonal indices of castor price were happened in May and August respectively for all the castor markets except Patan market. The results showed that the lower instability for price under castor was observed in Mehsana (1.045), Rajkot (0.999), Gandhinagar (1.158), Banaskantha (1.074), Patan (1.903) and Sabarkantha (1.089) districts. Majority of the districts showed the low level of instability for price. There may be chance of volatility persist in these markets yet it should be subjected to formal ARIMA effect test to confirm the presence of volatility. The seasonal component was estimated by fitting the cubic trend in Mehsana, Rajkot, Gandhinagar, Banaskantha and Sabarkantha markets. However in Patan market the trend observed in compound, growth, exponential and logistic. The results were obtained from the application of univariate ARIMA techniques to produce price forecasts for castor crop and precision of the forecasts were evaluated using the standard criteria of lower value of RMSE, MAPE, MAE MSE with higher value of Adj. R<sup>2</sup>. On the basis of these criteria find out best model of ARIMA for castor price forecasted. Among the selected six markets, Mehsana ARIMA (0,1,0), Rajkot ARIMA (0,1,2), Gandhinagar ARIMA (0,1,0), Banaskantha ARIMA (0,1,0), Patan ARIMA (1,0,1) and Sabarkantha ARIMA (1,1,1) model were found to be best fitted for the forecasting the price of castor in Gujarat.

Keywords: Seasonality, instability index, growth, ARIMA, forecast

#### Introduction

Castor (*Ricinus communis*) is probably a native to north-eastern Africa. The castor crop belongs to the family of Euphorbiaceous and is developed in tropical and semi-tropical regions. Assisting farmers in their production and marketing decisions through price forecasts will enable them to realize better prices and the price forecast can be used as an extension strategy to achieve the goal of higher income by farmers from these crops. Castor is one of the oldest cultivated crops. However, it contributes to only 0.15 per cent of the vegetable oil produced in the world. The oil produced from this crop is considered to be of importance to the global specialty chemical industry because it is the only commercial source of a hydroxylated fatty acid.

Selection of markets on the basis of maximum arrival and production of Castor in India *viz.*, Banaskantha, Mahesana, Patan, Rajkot, Sabarkantha and Gandhinagar. The data was collected for monthly modal price for castor in Gujarat (Rs./quintal) from 2007-2021 Anon., (2021)<sup>[2]</sup>. For the study of price Forecasting in Gujarat market for castor monthly price data was collected. The analysis was carried out using the Eviews 11 statistical software packages.

Price forecasting is very essential for planning and development and therefore it becomes pertinent to develop methods that help the policymakers to have some idea about the prices of commodities in the future. One approach is to consider causes and their effects and the other approach ARIMA is to forecast prices without taking into consideration the causes.

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Though, notably, several limitations have been imposed on this model due to its assumption of heteroscedasticity, ARIMA model combines the AR and MA process to analyze the time series data which is a renowned model for analyzing time-series data. Many agricultural price series have shown periods of stability, followed by periods of instability with high volatility (Achal et al. 2015)<sup>[1]</sup>. Chaudhari and Tingre (2014)<sup>[6]</sup> conducted the study on forecasting the Green Gram prices for Maharashtra. Bannor and Sharma (2015)<sup>[3]</sup> studied the modelling and forecasting wholesale groundnut prices from January 2005 to September 2015 in Bikaner district of Rajasthan. Singh and Mishra (2015) [13] studied the application of box-jenkins method for time series forecasting monthly cash prices of groundnut oil in Mumbai from April 1994 to July 2010. Rojalin et al. (2019) <sup>[11]</sup> studied the groundnut prices for the state of Odisha from January 2004 to December 2018 using time series model. Rathore et al. (2020) <sup>[10]</sup> studied the forecasting of arrivals and prices of soybean in Chhattisgarh plains. Delvadiya et al. (2023) [7] an application of ARIMA for forecasting rapeseed and mustard area in Gujarat.

#### Materials and Methods Measuring seasonality

The method used has the following procedures

Y = TSCI

Y/MA = TSCI/TC = SI

Where, T= Trend, S= Seasonality variations, C= Cyclical fluctuations, I= Irregular variation, Y= original data and MA= Moving average

The sum of the seasonal indices should be 1200. If it is greater or less than 1200 then adjust it using a correction factor.

$$K = \frac{1200}{S}$$

Where, K = Correction factor and S = Sum of seasonal indices

#### Extent of intra year price rise

$$IPR = \left[\frac{HSPI - LSPI}{LSPI}\right] \times 100$$
$$ASPV = \left[\frac{HSPI - LSPI}{\frac{(HSPI + LSPI)}{2}}\right] \times 100$$

#### Cuddy and Della instability index

As the CV (%) may overestimate the level of instability characterized by long-term trends, the CDVI (%) was used to de-trend and show the exact magnitude of instability. The specification of CDVI (%) to be used in the study

$$CDVI = CV \times (\sqrt{1 - \overline{R}^2})$$

Where, CV is the coefficient of variation; and,  $\overline{R}^2$  is the coefficient of multiple determination. The instability was further categorized into 0-15 (low instability); 15-30 (Medium instability) and >30 (high instability) as per Sihmar, 2014 <sup>[12]</sup>.

**Box-Jenkins Autoregressive (ARIMA) models:** Time series data can be explained using stochastic error factors and past or lag values using the ARIMA model. Typically, the ARIMA model is written as ARIMA (p d q). Where, p, d, and q, respectively, stand for moving average, integration (differencing), and auto-regression orders. Time Series (TS), as used in ARIMA, is a linear function of historical actual values and random shocks. For instance, given a TS process  $\{Y_t\}$ , a first order autoregressive process is denoted by ARIMA (1, 0, 0) or simply AR (1) and is given by;

$$Y_t = u + \emptyset_1 Y_{t-1} + \varepsilon_t$$

A first order moving average process is denoted by ARIMA (0, 0, 1) or simply MA (1) and is given by;

$$Y_t = u + \phi_1 \varepsilon_{t-1} + \varepsilon_t$$

As an alternative, the final model may combine both of these processes and higher tiers. The term "pure models" refers to models that do not include both AR and MA components. Integration (I) is the process of producing a forecast by applying differencing in reverse. ARIMA ( $p \ d \ q$ ) is the acronym for an ARIMA model. The expression of an ARIMA model is as follows:

$$\phi(\mathbf{B}) (1-B)^d \operatorname{Yt} = \theta(\mathbf{B}) \varepsilon_t$$

$$Y_t = \phi_1 Y_{t-1} + = \phi_2 Y_{t-2} + \dots + \phi_p Y_{t-p} + \varepsilon_t - \theta_1 \varepsilon_{t-1} - \theta_2 \varepsilon_{t-2} \dots - \theta_q \varepsilon_{t-q}$$

 $Y_t$  is the time series,  $\emptyset_i$  and  $e_j$  are model parameters,  $\varepsilon_t$  is random error, p is number of autoregressive terms, q is number of moving terms and B is the backshift operator such that,  $BY_t = Y_t - 1$  (Box *et al.*, 1994; Brockwell and Davis 1996) <sup>[4, 5]</sup>.

The forecasting through ARIMA model was carried by using E-Views 11.0 statistical software, *viz.*, checking the stationarity using Augmented Dickey-Fuller (ADF) test, identification of tentative models based on scrutiny of the parameters of the selected models were estimated by Maximum Likelihood Estimation (MLE) method. The adequacy of the model was judge based on the value of Ljung-Box 'Q' Statistic using residual diagnostics (Garde *et al.*, 2021)<sup>[8]</sup>.

#### The performance of developed models

The identification of the suitable forecasting models for export of total pulses was carried out using different goodness of fit techniques *viz.*, Adj.  $R^2$ , Mean Absolute Error, Mean Absolute Percentage Error, root Mean Squared Error

#### Adjusted $\mathbb{R}^2(\overline{\mathbb{R}}^2)$ (Montgomery *et al.*, 2003)<sup>[9]</sup>

$$\overline{R}^2 = 1 - \frac{(n-1)(1-R^2)}{(n-k-1)}$$

Highest value of  $\mathsf{R}^2$  and adj.  $\mathsf{R}^2$  will considered as the best fitted model.

#### Mean Absolute Error (MAE)

$$MAE = \left(\frac{1}{t}\right) \sum |A_t - P_t|$$

$$MAPE = \left(\frac{100}{t}\right) \sum |(A_t - P_t)/P_t|$$

$$RMSE = \sqrt{\sum (A_t - P_t)^2 / t}$$

Months	Gujarat							
	Mehsana	Rajkot	Gandhinagar	Banaskantha	Patan	Sabarkantha		
January	98.261	97.812	97.938	98.327	105.802	98.261		
February	97.303	100.492	97.894	97.138	108.799	97.303		
March	97.199	100.144	97.015	96.853	113.409	97.199		
April	98.228	99.956	97.818	98.288	99.398	98.228		
May	96.266	96.861	96.985	96.742	92.874	96.266		
June	96.870	97.334	98.011	96.936	93.516	96.870		
July	101.026	102.010	102.031	101.570	97.055	101.026		
August	104.412	103.765	104.362	104.826	98.125	104.412		
September	104.261	102.801	104.089	104.945	99.480	104.261		
October	100.480	98.221	100.329	100.322	95.874	100.480		
November	102.981	100.087	101.886	102.098	98.273	102.981		
December	102.714	100.516	101.644	101.955	97.397	102.714		
Total	1200.000	1200.000	1200.000	1200.000	1200.000	1200.000		

Table 1: Seasonal indices

The seasonal indices for pricing suggested that there was less price variation, with values ranging from 92.874 to 113.409 percent.

Castor price seasonal indices were highest in March (113.409) in Patan market and lowest in May (92.874) in Patan.

Among the market under study, the seasonal indices of castor price for the Mehsana market were highest in August (104.412) and lowest in May (96.266). However, for the Rajkot market, the seasonal indices of castor price were highest in August (103.765) and lowest in May (96.861). However, for the Gandhinagar market, the seasonal indices of castor price were highest in August (104.362) and lowest in May (96.985). In the Banaskantha market, however, the seasonal indices of castor price were highest in September (104.945) and lowest in May (96.742). However, for the Patan market, the seasonal indices of castor price were highest in March (113.409) and lowest in May (92.874). Whereas, the seasonal indices of castor price for Sabarkantha market was highest in month of August (104.412) and while lowest in month of May (96.266).

Looking to the seasonal indices, the lowest and highest seasonal indices of castor price were happened in May and August respectively for all the castor markets except Patan market. It might be happened due to the high price volatility or may be due to in that area there was high demand or low supply.

The higher prices of castor were observed during the months of August to September. However in Patan district highest price were found in during March. Therefore, farmers are advised to schedule the sale of castor during the above period to get the better prices for the produce.



Fig 1: Seasonal indices of castor price of major markets of Gujarat (Jan- 2007 to Dec- 2021)

Extents of seasonal price variation: The extents of seasonal price variation were determined by using different measures

of intra year price variations. With a view to ascertain the difference in the magnitude of the seasonal variations in the castor, the analysis was carried out in term of IPR, ASPV and C.V. The magnitude of fluctuations in seasonal indices of

castor were measured with the help of the co-efficient of average seasonal prices index variation.



Fig 2: Co-efficient of average seasonal price of Castor Market

The intra year price variation (IPR) was higher (22.111) in Patan market while lowest value (7.128) of intra year price variation (IPR) was observed in Rajkot market. The average seasonal price variation (ASPV) was recorded highest (19.910) in Patan market while lowest value (6.882) of average seasonal price variation (ASPV) in case of Rajkot market. Coefficient of variation (C.V.) was recorded higher (2.471) in Patan market and lowest (1.939) in Rajkot market. As the co- efficient of variation increased, the degree of stability of prices decreased. The variability in fresh arrivals stock of the products in market and the demand affects the price to a great extent.

### Study the instability in prices in major castor growing districts of Gujarat

The results showed that the lower instability for price under castor was observed in Mehsana (1.045), Rajkot (0.999), Gandhinagar (1.158), Banaskantha (1.074), Patan (1.903) and Sabarkantha (1.089) districts. Majority of the districts showed the low level of instability for price. There may be chance of volatility persist in these markets yet it should be subjected to formal ARIMA effect test to confirm the presence of volatility.

**Table 2:** Instability of the major castor market prices

	(	Castor market Prices				
Districts	CV	CDVI	Instability			
Mehsana	1.914	1.045	Low			
Rajkot	1.876	0.999	Low			
Gandhinagar	2.133	1.158	Low			
Banaskantha	1.974	1.074	Low			
Patan	2.242	1.903	Low			
Sabarkantha	1.962	1.089	Low			

Forecasting of castor price in Gujarat: In the current study forecasting of castor price and in value was done by ARIMA

model using secondary data from the period 2007 to 2021. The forecasting of castor price was carried out by using ARIMA with adopting different steps viz. i) stationarity check, ii) identification of the model, iii) estimation and diagnostic check of parameters and iv) validation of model and forecasting.

#### Forecasting of Castor price in Gujarat

The ARIMA model for forecasting of export in quantity (MT) started with stationarity check of the yearly data. The Augmented Dicky Fuller (ADF) unit root test was used to check the stationarity of the castor price data. Stationarity (ADF) test at level did not prove stationarity of castor price. So, to make castor price data stationary the analysis proceeded further with 1st differencing and test result is presented in Table 2 showed that null hypothesis for test statistic was rejected which indicated castor price data had stationarity (p = 0.0001). The stationarity of the series was also checked by plotting Correlogram of the ACF and PACF (Fig. 3). The presence of peak at first values clearly indicated suitability of the choice of seasonal difference d=1, to accomplish the stationary series. Therefore, ARIMA model identification was proceeded by taking value d = 1.

Table 3: Results of unit root test for castor prices markets of Gujarat

State	Coston Monkota	Augmented Dickey fuller (ADF)				
State	Castor Markets	Level	First difference			
	Mehsana	1.87133 <sup>NS</sup> (0.3923)	81.7380 ** (0.0000)			
	Rajkot	1.43804 <sup>NS</sup> (0.4872)	89.2556** (0.0000)			
Gujarat	Gandhinagar	3.54680 <sup>NS</sup> (0.1698)	59.7793** (0.0000)			
-	Banaskantha	1.98780 <sup>NS</sup> (0.3701)	98.1881** (0.0000)			
	Patan	16.0542 ** (0.0003)	75.0597** (0.0000)			
	Sabarkantha	2.36324 <sup>NS</sup> (0.3068)	95.6556 ** (0.0000)			

**Note:** *p*<0.05 indicates significance, \* Significant at 5% level, \*\* Significant at 1% level

#### Table 4: ACF and PACF graph in castor prices major markets of Gujarat

Image: constraint of the second sec	Autocorrelation Partial Correlation	AC PAC	Q-Stat Pro	ob	Autocorrelation	Partial Correlation	AC	PAC	Q-Stat	Prob
Image: state in the s	Autocorrelation         Partial Correlation           I         I <tdi< td="">         I           &lt;</tdi<>	AC         PAC           1         -0.388         -0.388           2         -0.116         -0.314           3         -0.008         -0.246           4         -0.066         -0.301           5         0.131         -0.127           6         -0.038         -0.133           7         0.014         -0.067           8         -0.027         -0.077           9         -0.018         -0.074           10         -0.003         -0.105           11         -0.036         -0.173           12         0.156         0.025           13         -0.034         0.062           14         -0.085         0.007           15         -0.075         -0.131           16         0.081         -0.064	Q-Stat         Pro           23.619         0.0           25.743         0.0           25.754         0.0           25.754         0.0           26.443         0.0           29.201         0.0           29.440         0.0           29.474         0.0           29.598         0.0           29.650         0.0           29.873         0.0           33.971         0.0           35.397         0.0           37.514         0.0           37.514         0.0	ob           000           000           000           000           000           000           000           000           000           000           000           000           000           001           001           001           001           001           001           001           002           002           002           002	Autocorrelation	Partial Correlation	AC 1 -0.428 2 -0.055 3 -0.019 4 -0.105 5 0.115 6 0.054 7 -0.010 8 0.006 9 -0.116 10 0.046 11 -0.017 12 0.072 13 0.043 14 -0.030 15 -0.185 16 0.122 17 0.222 17	PAC -0.428 -0.291 -0.232 -0.338 -0.220 -0.097 -0.033 0.037 -0.066 -0.040 -0.102 -0.038 0.044 0.103 -0.150 -0.058	Q-Stat 28.710 29.182 29.240 31.018 33.153 33.630 33.648 33.654 35.898 36.259 36.310 37.182 37.496 37.647 43.557 46.166	Prob 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.00000 0.00000 0.00000 0.00000 0.000000 0.00000000
Image: constraint of the second sec		18 0.042 -0.078	37.832 0.0	004			18 0.084	-0.074	47.591	0.000
Mehsana         Rajkot           Autocorrelation         Partial Correlation         AC         PAC         O-Stat         Prob           1         1         1         0.381         2.802         0.000         1         1         0.349         0.381         2.802         0.000         1         1         0.349         0.331         2.2802         0.000         1         1         0.349         0.349         1.8077         0.000         1         1         2.0125         0.281         0.015         0.013         0.015         0.0		20 -0.061 -0.041	38.510 0.0	008		1 <b>1</b> 1	20 -0.023	0.029	47.085	0.000
Autocorrelation         Partial Correlation         AC         PAC         O-Stat         Prob	Mehsa	ına				Rajko	ot			
Image: constraint of the second sec	Autocorrelation Partial Correlation	AC PAC	Q-Stat Prot	b	Autocorrelation	Partial Correlation	AC	PAC	Q-Stat	Prob
Gandhinagar         Banaskantha           Autocorrelation         Partial Correlation         AC         PAC         Q-Stat         Prob           I         1         1         0.317         15.749         0.000         I         I         2         2.0125         0.025         0.000         I         I         2         2.0125         0.025         0.000         I         I         2         2.0122         0.366         31.948         0.000           I         I         3         0.025         0.2052         0.001         I         I         3         0.066         0.224         2.634         0.000           I         I         4         -0.009         -0.201         2.0155         0.001         I         I         4         -0.117         0.323         34.567         0.000           I         I         I         6         -0.447         0.151         2.0926         0.002         I         I         6         0.58         -0.263         7.439         0.000           I         I         I         I         0         0.003         -0.083         21.205         0.012         I         I         I		$\begin{array}{cccccccccccccccccccccccccccccccccccc$	22.802         0.00           24.376         0.00           24.376         0.00           25.894         0.00           28.717         0.00           28.735         0.00           29.051         0.00           29.139         0.00           29.798         0.00           29.798         0.00           34.164         0.00           35.834         0.00           35.834         0.00           35.834         0.00           36.503         0.00           37.438         0.00	000 000 000 000 000 000 000 000 001 001			1 -0.349 2 -0.125 3 -0.084 4 -0.043 5 0.221 6 -0.155 7 0.073 8 -0.021 9 0.013 10 -0.080 11 0.000 11 0.001 13 -0.051 13 -0.051 14 -0.078 15 -0.001 16 0.016 17 -0.002 18 0.019 19 0.018 20 0.007	-0.349 -0.281 -0.294 -0.328 -0.039 -0.209 -0.075 -0.001 -0.154 -0.109 0.020 0.020 -0.075 -0.011 -0.043 -0.073 -0.024 -0.024 -0.031	19.077 21.565 22.690 22.993 30.839 34.727 35.587 35.662 35.690 36.751 36.751 40.596 41.038 42.075 42.075 42.122 42.122 42.122 42.123 42.252	0.000 0.000
Autocorrelation         Partial Correlation         AC         PAC         Q-Stat         Prob           Autocorrelation         Partial Correlation         AC         PAC         Q-Stat         Prob           I         I         1         0.317         0.317         15.749         0.000           I         I         2         0.165         0.295         20.052         0.000           I         I         3         0.025         0.226         20.151         0.000           I         I         4         0.009         -2011         20.155         0.000           I         I         4         0.009         -2011         20.575         0.001           I         I         6         -0.047         -0.151         20.926         0.002           I         I         I         6         -0.047         -0.151         20.926         0.002           I         I         I         8         0.024         -0.179         6.689         0.000           I         I         I         9         0.003         -0.004         1107         0.004         III         III         IIII         10         0.024         -0	Gandnii			=1		Banaska	ntha			
		1         -0.317         -0.317           2         -0.165         -0.295           3         -0.025         -0.226           4         -0.009         -0.201           5         0.050         -0.111           6         -0.047         -0.151           7         0.033         -0.083           8         -0.024         -0.104           9         0.000         -0.083           10         0.000         -0.083           11         -0.013         -0.090           12         0.031         -0.051           13         0.002         -0.023           14         -0.002         -0.023           15         -0.013         -0.090	15.749         0.0           20.052         0.0           20.155         0.0           20.575         0.0           20.575         0.0           21.026         0.0           21.107         0.0           21.205         0.0           21.205         0.0           21.395         0.0           21.396         0.0           21.396         0.0           21.396         0.0           20.322         0.1           20.326         0.1	000 000 000 001 002 004 007 012 020 031 045 065 092 107 140 172			1 -0.439 2 -0.102 3 0.066 4 -0.110 5 0.120 6 0.058 7 -0.137 8 0.024 9 0.043 10 -0.085 11 0.115 12 -0.042 13 0.045 14 -0.072 15 -0.002 16 -0.097 17 -0.452 17 -0.452 17 -0.452 17 -0.452 17 -0.452 18 -0.045 19 -0.045 19 -0.045 10 -0	-0.439 -0.366 -0.224 -0.323 -0.179 -0.026 -0.110 -0.120 -0.059 -0.165 -0.073 -0.069 0.084 -0.006 -0.002 -0.237	30.289 31.948 32.634 34.567 36.899 40.494 40.591 40.903 42.121 44.648 44.987 45.888 45.889 47.527	0.000 0.000 0.000 0.000 0.000 0.000 0.000 0.000 0.000 0.000 0.000 0.000 0.000 0.000 0.000 0.000 0.000 0.000

## Fitting of time series model for castor prices in major markets of Gujarat

ARIMA model is a parsimonious model (Explains the data more precisely with few parameter). It includes both the autoregressive and moving average components to describe the data. So compare with any other linear time series model, this model was prefer to remove the linear dependency in the data. There are three steps *viz.*, identification, estimation and diagnostic checking of model to fit a given data under consideration. The results of analysis of ARIMA model were presented under following sections.

Table 5: ARIMA	models for	maximum	arrival	markets c	f Gujarat state

Market	ARIMA Model	<b>R</b> <sup>2</sup>	Adj.R <sup>2</sup>	AIC	BIC	RMSE	MAPE	MAE	MSE	Ljung-Box
Mehsana	(0,1,0)	0.941	0.940	739.648	11.050	235.664	4.060	147.919	68259.46	22.415 <sup>NS</sup>
Rajkot	(0,1,2)	0.932	0.920	774.725	11.041	233.252	4.594	156.685	60770.89	27.290 <sup>NS</sup>
Gandhinagar	(0,1,0)	0.945	0.936	736.071	11.032	226.971	4.110	147.974	61600.401	20.714 <sup>NS</sup>
Banaskantha	(0,1,0)	0.915	0.911	741.337	11.458	295.045	4.771	188.027	99741.1	19.042 <sup>NS</sup>
Patan	(1,0,1)	0.728	0.726	840.345	12.942	609.849	5.786	234.641	669373.95	31.963 <sup>NS</sup>
Sabarkantha	(1,1,1)	0.927	0.919	748.901	11.296	267.691	4.614	166.675	91539.32	22.143 <sup>NS</sup>

#### Validation of forecasting models

 Table 6: ARIMA model validation and forecasting of castor price of selected markets

Month	Actual value Predicted Value		Forecasting Error
Month	<b>(y</b> )	$(\widehat{y})$	(%)
Jan-21	4372.05	4714.35	-7.83
Feb-21	4350.16	4711.47	-8.30
Mar-21	4553.00	4691.01	-3.03
Apr-21	4808.09	4668.15	2.91
May-21	4974.14	4652.23	6.47
Jun-21	5016.08	4644.09	7.42
Jul-21	5300.56	4621.98	12.80
Aug-21	5586.85	4601.21	17.64
Sep-21	6080.00	4572.82	24.78
Oct-21	6137.33	4563.95	25.64
Nov-21	6390.75	4547.34	28.84
Dec-21	6044.11	4554.01	24.65
	Avera	ge	11.00
	ARIMA (0,	1,0) model for Mehs	ana market
L		D 11 / 171 1	
Month	Actual value	Predicted Value	Forecasting Error
T Of	(y)	(ÿ)	(%)
Jan-21	4228.86	4602.64	-8.84
Feb-21	4233.26	4601.06	-8.68
Mar-21	4421.66	4578.16	-3.54
Apr-21	4535.00	4562.51	-0.61
May-21	4915.71	4527.17	7.90
Jun-21	5030.00	4512.77	10.28
Jul-21	5140.71	4498.69	12.48
Aug-21	5317.50	4480.64	15.74
Sep-21	5237.14	4478.25	14.49
Oct-21	6072.50	4426.02	27.11
Nov-21	6169.28	4413.83	28.45
Dec-21	5880.00	4419.33	24.84
	Avera	ge	9.96
	ARIM	A (0,1,2 for Rajkot n	narket
	A . (	Der Patel Xales	E
Month	Actual value	(î)	rorecasting Error
Ian 21	(9)	4662.60	(70)
Jall-21 Feb 21	4324.07	4655.50	-7.01
Mor 21	4521.19	4033.30	-7.75
$A \operatorname{pr} 21$	4336.44	4031.80	-2.03
Apr-21 May 21	4/09.03	4006.32	3.30 9.70
Jup 21	5002.17	4303.14	0.70
Jull - 21	5002.40	43/7.01	0.40
Jui-21	5640.20	4334.31	13.02
Aug-21	5040.29	4327.47	19.75
Sep-21	6129.94	4301.00	25.57
Nex 21	0128.84	4488.29	20.70
Nov-21	0328.10	44/1.09	29.35
Dec-21	6042.59	44/1./9	25.99
	Avera	ge	12.00
	ARIMA (0,1,	0) model for Gandhi	nagar market

Month	Actual value (y)	Predicted Value (ŷ)	Forecasting Error (%)			
Jan-21	4366.67	4933.07	-12.97			
Feb-21	4330.67	4932.94	-13.90			
Mar-21	4549.50	4900.95	-7.73			
Apr-21	6389.44	4741.82	25.78			
May-21	5026.67	4839.51	3.72			
Jun-21	5040.62	4832.45	4.13			
Jul-21	5269.00	4805.59	8.79			
Aug-21	5625.94	4770.11	15.21			
Sep-21	6100.56	4730.05	22.46			
Oct-21	6234.29	4714.82	24.37			
Nov-21	6381.25	4698.92	26.36			
Dec-21	6135.00	4707.04	23.27			
	Avera	9.95				
	ARIMA (0,1,0) model for Banaskantha market					

Month	Actual value (y)	Predicted Value $(\hat{y})$	Forecasting Error (%)			
Jan-21	4358.33	4367.99	-0.22			
Feb-21	4323.26	4443.82	-2.79			
Mar-21	4570.00	4520.85	1.075			
Apr-21	4839.23	4599.10	4.96			
May-21	4978.33	4678.56	6.02			
Jun-21	5034.77	4759.22	5.47			
Jul-21	5277.17	4841.10	8.26			
Aug-21	5676.96	4924.18	13.26			
Sep-21	6105.45	5008.47	17.97			
Oct-21	6139.32	5093.97	17.03			
Nov-21	6405.33	5180.68	19.12			
Dec-21	6085.96	5268.60	13.43			
	Avera	8.63				
	ARIMA (1,0,1) model for Patan market					

Month	Actual value (y)	Predicted Value $(\hat{y})$	Forecasting Error (%)				
Jan-21	4162.45	4736.95	-13.80				
Feb-21	4134.50	4756.14	-15.04				
Mar-21	4626.07	4676.67	-1.09				
Apr-21	4608.33	4686.24	-1.69				
May-21	4989.00	4631.49	7.16				
Jun-21	4997.00	4633.12	7.28				
Jul-21	5167.00	4602.81	10.91				
Aug-21	6000.00	4545.06	24.24				
Sep-21	6100.00	4525.05	25.81				
Oct-21	5875.00	4533.83	22.82				
Nov-21	6212.50	4501.53	27.54				
Dec-21	5597.00	4158.71	25.69				
	Avera	9.98					
	ARIMA (1.1.1) model for Sabarkantha market						

#### Post sample forecasting of various markets in Gujarat state

Table 7: Post sample forecasted value using forecasting model (0, 1, 0) for castor price in Mehsana market

Month	Predicted Value $(\hat{y})$	Upper Limit	Lower Limit
Jan-22	4294.86	5989.26	2600.46
Feb-22	4287.38	6045.75	2529.02
Mar-22	4279.67	6099.75	2459.59
Apr-22	4271.72	6151.49	2391.95
May-22	4263.53	6201.16	2325.91
Jun-22	4255.11	6248.91	2261.31
Jul-22	4246.45	6294.88	2198.02
Aug-22	4237.55	6339.20	2135.90
Sep-22	4228.42	6381.97	2074.87
Oct-22	4219.05	6423.28	2014.82
Nov-22	4209.44	6463.21	1955.67
Dec-22	4199.60	6501.84	1897.36



Fig 3: Forecasted value for castor price in Mehsana market

Table 8: Post sample forecasted value using forecasting model (0, 1, 2) for castor price in Rajkot market

Month	Predicted Value $(\hat{\hat{y}})$	Upper Limit	Lower Limit
Jan-22	4121.74	5877.70	2365.79
Feb-22	4113.18	5935.52	2290.85
Mar-22	4104.37	5990.74	2218.00
Apr-22	4095.30	6043.61	2146.99
May-22	4085.99	6094.32	2077.65
Jun-22	4076.41	6143.04	2009.79
Jul-22	4066.59	6189.90	1943.28
Aug-22	4056.52	6235.03	1878.00
Sep-22	4046.19	6278.55	1813.82
Oct-22	4035.61	6320.55	1750.67
Nov-22	4024.77	6361.11	1688.44
Dec-22	4013.69	6400.31	1627.07



Fig 4: Forecasted value for castor price in Rajkot market

**Table 9:** Post sample forecast value using forecasting model (0,1,0) for castor price in Gandhinagar market

Month	Predicted Value $(\hat{y})$	Upper Limit	Lower Limit
Jan-22	4222.67	7013.29	1432.04
Feb-22	4212.06	7108.03	1316.09
Mar-22	4201.19	7198.80	1203.58
Apr-22	4190.05	7285.97	1094.13
May-22	4178.64	7369.84	987.44
Jun-22	4166.97	7450.68	883.25
Jul-22	4155.02	7528.72	781.32
Aug-22	4142.81	7604.15	681.46
Sep-22	4130.32	7677.15	583.50
Oct-22	4117.57	7747.86	487.29
Nov-22	4104.56	7816.43	392.68
Dec-22	4091.27	7882.98	299.56



**Fig 5:** Forecasted value for castor price in Gandhinagar market

Table 10: Post sample forecast value using forecasting model (0, 1, 0) for castor price in Banaskantha market

Month	Predicted Value $(\hat{y})$	Upper Limit	Lower Limit
Jan-22	4303.36	6061.15	2545.57
Feb-22	4295.71	6119.86	2471.57
Mar-22	4287.82	6175.99	2399.65
Apr-22	4279.69	6229.79	2329.60
May-22	4271.32	6281.43	2261.21
Jun-22	4262.71	6331.10	2194.33
Jul-22	4253.86	6378.92	2128.80
Aug-22	4244.77	6425.04	2064.5
Sep-22	4235.43	6469.54	2001.32
Oct-22	4225.86	6512.54	1939.17
Nov-22	4216.04	6554.12	1877.96
Dec-22	4205.98	6594.35	1817.61



Fig 6: Forecasted value for castor price in Banaskantha market

Table 11: Post sample forecast value using forecasting model (1, 0, 1) for castor price in Patan market

Month	Predicted Value $(\hat{y})$	Upper Limit	Lower Limit
Jan-22	5357.73	9851.02	864.44
Feb-22	5448.07	10115.72	780.42
Mar-22	5539.62	10375.34	703.89
Apr-22	5632.37	10630.53	634.22
May-22	5726.34	10881.81	570.87
Jun-22	5821.51	11129.63	513.39
Jul-22	5917.90	11374.40	461.39
Aug-22	6015.49	11616.45	414.53
Sep-22	6114.29	11856.07	372.51
Oct-22	6214.3	12093.53	335.08
Nov-22	6315.52	12329.06	301.99
Dec-22	6417.95	12562.86	273.04



Fig 7: Forecasted value for castor price in Patan market

Table 12: Post sample forecast value using forecasting model (1, 1, 1) for castor price in Sabarkantha market

Month	Predicted Value $(\hat{y})$	Upper Limit	Lower Limit
Jan-22	4146.47	6140.88	2152.05
Feb-22	4138.57	6208.93	2068.21
Mar-22	4126.65	6269.52	1983.78
Apr-22	4117.56	6331.16	1903.96
May-22	4105.69	6387.35	1824.02
Jun-22	4095.63	6443.76	1747.50
Jul-22	4083.62	6496.09	1671.15
Aug-22	4072.74	6548.12	1597.36
Sep-22	4060.47	6597.00	1523.94
Oct-22	4048.88	6645.28	1452.47
Nov-22	4036.26	6691.06	1381.46
Dec-22	4024.02	6736.06	1311.98



Fig 8: Forecasted value for castor price in Sabarkantha market

#### Conclusion

The highest seasonality indices observed in August month and lowest seasonality indices in May month in majority of markets except Patan market. Among six markets, the price forecast model for Mehsana, Gandhinagar and Banaskantha market, (0,1,0) was found to be the best model whereas Rajkot market (0, 1, 2), Patan market (1, 0, 1) and Sabarkantha market (1, 1, 1) was found to be the best model. In future, research needs to be conducted in these markets by using ARIMA to ascertain any asymmetrical nature and also to find the leverage effect.

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